

plates of structural details have been added, two of which are devoted to the structure of the mouth in the principal genera of bees. The first, however, which includes details of general structure, very carefully indicated, will prove of the greatest value to entomologists taking up the study of the order *Hymenoptera*. There is a larger edition of the work, with coloured plates of the various species; but of these we cannot speak, as they are not before us while writing. We hope that Mr. Saunders' labours may induce many residents in the country to take up the study of the order *Hymenoptera*, and ultimately to extend their researches beyond *Aculeata* to the far larger and much more neglected, though hardly less interesting, section of *Terebrantia*, which includes the sawflies, gallflies, ichneumons, &c. The parasitic groups are so numerous as to render the *Hymenoptera* probably the largest of all the orders of insects, though they have hitherto received far too little attention from British entomologists.

Ostwald's Klassiker der exakten Wissenschaften, Nos. 67 to 75. (Leipzig: Wilhelm Engelmann, 1895-96.)

WE have before us nine volumes recently added to Prof. Ostwald's very handy and useful series of reprints and German translations of classical papers. No. 67 is A. Göpel's "Theoriae transcendentium Abelianarum primi ordinis adumbratio levis," published in 1847. This is edited by Dr. H. Weber, and translated into German by Dr. A. Witting. No. 68 should be of interest to chemists, for it contains papers by Lothar Meyer (1864-69) and Mendeleeff (1869-71) on the "Natürliche System der chemischen Elemente." This volume is edited by Dr. Karl Seubert, who adds to it some notes on Newland's work in connection with the discovery of the periodic law. A translation of Maxwell's papers on Faraday's lines of force, read before the Cambridge Philosophical Society in 1855-56, appears in No. 69 of the series, edited and annotated by Prof. Boltzmann. The following volume (No. 70) is taken up with Seebeck's papers (1822-23) on "Magnetische Polarisation der Metalle und Erze durch Temperatur-Differenz," its editor being Dr. A. J. v. Oettingen. No. 71 contains Abel's investigations of the series

$$1 + \frac{m}{1}x + \frac{m(m-1)}{1 \cdot 2}x^2 + \frac{m(m-1)(m-2)}{1 \cdot 2 \cdot 3}x^3 + \dots$$

published in Crelle's *Journal* in 1826. In the volume entitled "Chemische Analyse durch Spectralbeobachtungen" (No. 72), Kirchhoff and Bunsen's contributions to spectrum analysis in 1860 are reprinted, with two coloured plates and seven figures in the text. The editor of this volume is Prof. Ostwald. Under the title "Zwei Abhandlungen über sphärische Trigonometrie" (No. 73), translations, by E. Hammer, are given of two papers by Euler—one on the outlines of spherical trigonometry (1753), and the other on general spherical trigonometry (1779). In No. 74, German readers have provided for them a translation of Berthollet's discussion of the laws of affinity (1801), edited by Prof. Ostwald. Finally, Prof. Groth edits a German edition of the work of the Finland mineralogist, Axel Gadolin, on the "Herleitung aller krystallographischer Systeme mit ihren Unterabtheilungen aus einem einzigen Principe," which forms No. 75 of this valuable series. Our only regret is that English readers have not a similar collection of edited reprints and translations of scientific classics.

The Metric System of Weights and Measures. By G. T. P. Streeter, B.A. Pp. 43. (London: Gee and Co., 1896.)

THIS short treatise is not only concerned with the metric system, but also contains "certain arithmetical principles, problems and formulae, and an appendix on the common chemical reactions." The arithmetical contents may be useful as a supplement to ordinary books on arithmetic, but the statement of chemical reactions is "cram," pure and simple.

NO. 1380, VOL. 53]

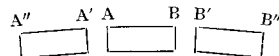
LETTERS TO THE EDITOR.

[The Editor does not hold himself responsible for opinions expressed by his correspondents. Neither can he undertake to return, or to correspond with the writers of, rejected manuscripts intended for this or any other part of NATURE. No notice is taken of anonymous communications.]

The Stress in Magnetised Iron.

MR. WILBERFORCE'S letter (NATURE p. 462) raises some points I ought to notice. In treating of the stress and strain, my phraseology has, I think, been extremely "unmaterialistic," in the sense that I have said little or nothing about a magnetic "ether," and have employed rather the language of action at a distance. Maxwell doubtless would have put things very differently, but my own experience has been that when one wishes to avoid confusing ordinary people on such questions as the sign of a stress or strain, the less one says about "ether" the better. My discussion of Maxwell's electrostatic medium (*Proceedings Edinburgh Math. Soc.*, vol. xi. p. 107) will show, I hope, that his standpoint is not unfamiliar to me. The question really at issue is the existence and sign of certain strains in iron and other gross materials, and I judged Prof. Ewing's mode of presenting the case, which I practically followed, to be as clear as any. If strict Maxwellians object to the association of his name—which I did not originate—with stresses answering to the strains in question, by all means let us use another term, say "Q stresses," so long as their existence is queried.

In the accompanying figure—slightly modified from that on p. 270—suppose for the moment A' A', AB, &c., to be straight lines. The conclusion I reached that the stress on the element AB of a uniformly magnetised bar, with air gaps AA', BB', is a *tension* meets, I am glad to see, with Mr. Wilberforce's support. This



implies his belief that the reasoning of Mr. Shelford Bidwell (*Phil. Trans.*, 1888, pp. 216, 217), Prof. Ewing ("Magnetic Induction," § 145), and Dr. More (*Phil. Mag.*, October 1895, pp. 349, 350)—who in the places cited have treated the existence of air gaps as immaterial—should have led them to the conclusion that "Q stresses" exist, and that they cause a *lengthening*, not a shortening, of magnetised iron.

Mr. Wilberforce's reconciliation of Prof. Ewing's present views with my own is based, I rather fear, on a fallacy. Let us consider the accompanying figure, still supposed to represent a straight uniformly magnetised bar.

When gaps AA', BB' exist, there must, as Mr. Wilberforce says, be forces at A'', B'' to balance the attractions exerted by AB. Let, however, A' move up to A, and B' to B, and equilibrium will still exist when the forces at A'', B'' are supposed to be reduced to zero. Hence, Mr. Wilberforce argues, in a continuous bar the "Q stresses" at A and B cease to exist. Let us push the argument a little further. Equilibrium will still exist when equal pressures of any magnitude are applied at A'' and B'', so that apparently the conclusion to be deduced is that the "Q stresses" are pressures *wholly arbitrary in magnitude*, which Euclid, I fear, would have declared to be absurd.

The explanation of the paradox is, I think, that when we treat A' A', B' B' as finite, we must suppose the conditions such as to maintain unaltered the state of uniform magnetisation originally postulated, and this does not leave the magnetic stresses at A'' and B'' arbitrary. We may of course use a magnetic bar for transmitting stresses other than the "Q stresses." For instance, if we employ two magnetising coils, carried by the bar itself, their mutual attraction or repulsion will introduce stress into the bar. (This is, I think, analogous to the case of glass and tinfoil introduced by Mr. Wilberforce.) All such stresses must be allowed for, but I think it is expedient when possible to avoid confusing them with the "Q stresses."

Mr. Wilberforce seems to me to attach too much importance to the criterion of equilibrium. The equilibrium of the element AB in the figure would be equally secured whether the stresses transmitted across the air gaps were pressures or tensions.

My illustration of the rotating anchor ring was introduced because Prof. Ewing seemed unable to realise the existence of a uniform stress—whether tension or pressure—in a simpler system than that composed of an outer hollow ring pushing or

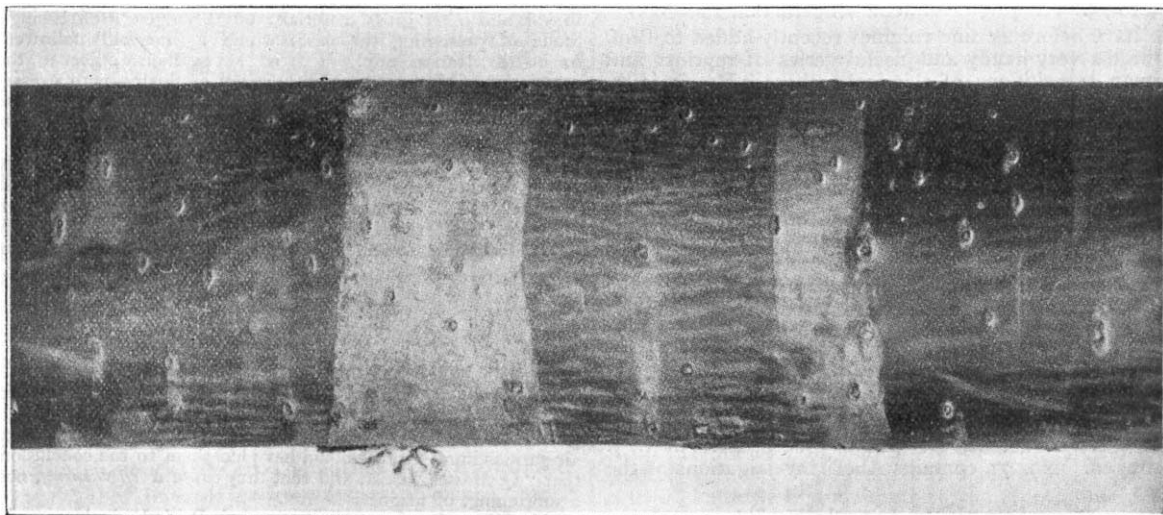
pulling, and a connected inner ring pulling or pushing. I do not myself see that the existence of acceleration—in the strictly mathematical sense—in a ring rotating with uniform angular velocity is any real disadvantage; but if Mr. Wilberforce thinks it is, then as an accomplished and not too materialistic mathematician, he will, I hope, be satisfied with the case of a ring formed of matter repelling as, say, the inverse square of the distance.

Judging by what has passed, I think an attempt to put clearly the problem as it exists in a magnetised ring may be of service. Suppose the diagram on the preceding page to represent 3 out of, let us say, 360—or any larger number deemed requisite to justify treating arc and chord as practically identical—equal elements of a ring. When unmagnetised suppose each to be of length l , and to be separated from its neighbours by extremely small air gaps of width λ . The elements may be supposed to lie on a smooth horizontal table. When uniformly and equally magnetised each element will change in length, let us suppose lengthen, by

The Sacred Tree of Kum-Bum.

REFERRING to the letter of Mr. W. T. Thiselton-Dyer, you have published under the title "The Sacred Tree of Kum-Bum" (March 5, 1896, p. 412), I may add that Dr. Kanitz (as I am told by Dr. S. Bretschneider) identifies the tree as the *Ligustrina amurensis*. With the permission of the Vice-President of the Imperial Russian Geographical Society, I send you herewith a photograph (natural size, untouched) of about two-thirds of the piece of the stem of that tree in possession of the I.R.G.S., which received the piece from a lama who visited Kum-Bum late in the autumn of 1894.

The wood is very light, the bark thin (the diameter of the piece being 46×47 on one end, 45×46 millimetre on the other; the thickness of the bark does not exceed 1 millimetre, being the third of it in some places of the circumference), its surface is somewhat rugged, as from desiccation (to be seen on the photo), the outer tissue is grey, translucent, the colour of the bark reddish, the signs *in* it of a golden hue, and can be dis-



Natural size in breadth, about two-thirds in length, of the piece in possession of the Imperial Russian Geographical Society, St. Petersburg.

the same amount δl . This lengthening is due presumably to several causes; of which one is the tension which experiments by Dr. Taylor Jones and others have shown to be nearly $B^2/8\pi$, so long as the permeability is large. For shortness, I shall treat this tension as actually $B^2/8\pi$ up to actual contact. The contribution to δl due to this stress may be taken as $B^2/8\pi E$, where E is an elastic modulus, which, strictly speaking, varies with B . Suppose now B so chosen that $\delta l = \lambda$, so that the width of the air gaps reduces to zero. Then Mr. Wilberforce's view would seem to be that at the instant the gaps close the stress producing the lengthening $B^2/8\pi E$ becomes zero, and comes into existence again only when the consequent shortening of the elements reopens the gaps; in this way a species of oscillation would ensue. Prof. Ewing, I rather fancy, would suppose the stress to exist until there is absolute continuity of matter. To deal with either view, suppose that at the first instant of contact, by some process of welding which leaves the material unaltered, the 360 elements transform into a solid ring. Call the state just before welding M , and that when equilibrium has ensued after welding N ; then the following views seem to be or have been held:

(1) (By Mr. Shelford Bidwell, Dr. More, and Prof. Ewing [originally]) that the ring in N is shorter than my reasoning makes it in M by $2 \times (360 B^2/8\pi E)$.

(2) (By Prof. Ewing [now] and Mr. Wilberforce) that the ring in N is shorter than in M by $1 \times (360 B^2/8\pi E)$.

(3) (By, I believe, Prof. J. J. Thomson, Dr. Taylor Jones, and myself) that the ring in N , if shorter than in M , is so by a less amount than $1 \times (360 B^2/8\pi E)$. CHARLES CHREE.

March 23.

NO. 1380, VOL. 53]

cerned through the epiderm, but are best seen when the latter is pulled off.

A. GRIGORIEV,
Secretary of the Imperial Russian Geographical Society,
St. Petersburg.

A Jamaica Drift Fruit.

IN connection with the article by Dr. Morris on a Jamaica drift fruit, which appeared in NATURE of November 21, 1895, I am able to supplement it by a record of the tree in Trinidad. On March 10, after a personal visit to the vicinity, I despatched Mr. Lunt, my assistant—who may be remembered as being attached to Mr. Bent's expedition to the Hadramaut—to search for the tree or trees stated to have been seen by Messrs. Crueger and Devenish. I am glad to say that I have now Mr. Lunt's report on the trip before me, and still better, I have specimens taken from the trees, which show that *Sarcoglottis amazonica* may still be regarded as one of our forest trees. Mr. Lunt followed as directed the course of one of the rivers, and found the tree in more than one place. He was able to bring fresh fruits, leaves and buds, but no flowers were to be had. Mr. Lunt notes that the specimens brought show that the fleshy outer layer or sarcocarp is not, as has been supposed, worn away by water, but owing to its palatable character forms the food of numerous fruit-eating animals, and that on falling to the ground it is further cleaned by ants.

It appears that after the sarcocarp is eaten away the seeds rest upon the ground until the occurrence of heavy floods, when they are washed away by the currents.